Event-based soil erosion and sediment yield modeling for calculating long-term reservoir sedimentation in the Alps

Konstantinos Kaffas

Faculty of Science and Technology, Free University of Bozen-Bolzano, Italy unibz

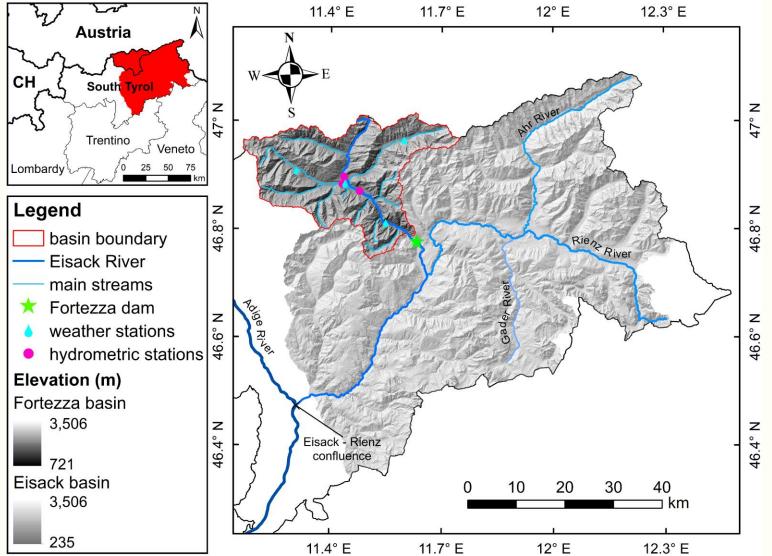
Freie Universität Bozen Libera Università di Bolzano Università Liedia de Bulsan



Highlights

- A modified USLE-based model, ideal for upper-lands and mountain areas
- Adaptation of the topographic factor (LS) for the alpine terrain
- The proposed SDR module resulted in sediment yields equal to 27.4% of gross erosion
- High spatial resolution (2.5m) soil erosion modeling
- Reservoir sedimentation 143,355.3 tons validation with measurements

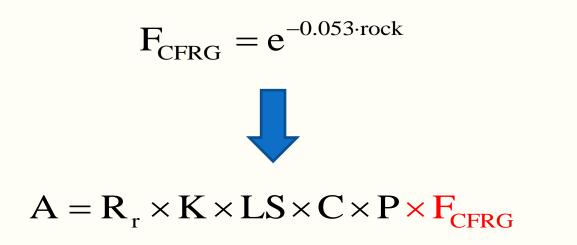
Study area



- Area = 655.8 km²
- Mean slope = 30.5° (max = 87.4°)
- Mean altitude = 1,869 m
- Temperature = -22.0 °C to 38.5 °C
- Pluvo-nival flow regime

USLE for mountain areas

Addition of a seventh factor to the conventional six-factor USLE
Considering the % of rock in the soil surface



(Box and Meyer, 1984; Williams, 1995)

where F_{CFRG} = Coarse Fragment factor rock = rock in the soil surface (%)

USLE specific features

Adaptation of the L-factor for the Alpine environment

□ Flow length threshold of 100m (<u>Schmidt et al., 2019</u>)

$$\begin{array}{l} A_{alpine \ i,j-in} = thresh, \quad A_{i,j-in} > thresh \\ A_{alpine \ i,j-in} = A_{i,j-in}, \quad A_{i,j-in} \leq thresh \end{array} \longrightarrow L_{alpine \ i,j} = \frac{\left(A_{alpine \ i,j-in} + D^{2}\right)^{m+1} - A_{alpine \ i,j-in}^{m+1}}{D^{m+2} \cdot X_{i,j}^{m} \cdot 22.13^{m}} \end{array}$$

S-factor

 $S = 10.8 \cdot \sin \Theta + 0.03$, slope gradient < 0.09

(McCool et al., 1987)

 $S = 16.8 \cdot \sin \Theta - 0.5$, slope gradient ≥ 0.09

where $A_{i,j-in} = \text{contributing area at the inlet of grid cell (i,j) (m²); D = size of the grid cell (m); X_{i,j} = sina_{i,j} + cosa_{i,j}$ $a_{i,j} = \text{aspect direction of the grid cell (i,j); m = slope length exponent; } \Theta = slope steepness in radians$

Rainfall erosivity (R-factor) calculation

Event R-factor

$$e_{r} = 0.29 \cdot \left[1 - \left(0.72 \cdot e^{-0.05 \cdot i_{r}} \right) \right]$$

Erosive rainfall events criteria

i) >6.35 mm – 15 min (<u>Renard et al., 1997</u>)

ii) MIT (minimum inter-event time) 6 h (Wischmeier and Smith, 1978)

$$R_{event} = EI_{30} = \left(\sum_{r=1}^{k} e_r \cdot v_r\right) \cdot I_{30} \quad (MJ \text{ mm ha}^{-1} \text{ h}^{-1} \text{ event}^{-1})$$

 e_r = unit rainfall energy (MJ ha⁻¹ mm) v_r = rainfall volume (mm) i_r = rainfall intensity (mm h⁻¹) I_{30} = maximum rainfall intensity within 30 min of the event (mm h⁻¹) EI_{30} = rainfall event erosivity (MJ mm ha⁻¹ h⁻¹) R_{event} = event rainfall erosivity (MJ mm ha⁻¹ event⁻¹)

Sediment Delivery Ratio (SDR) module

A part of the eroded sediments is temporarily stored in the system before reaching the outlet
Estimate the sediment yield delivered in downstream areas

$$\log(\text{SDR}) = 2.94259 - 0.82362 \cdot \log\left(\frac{1}{\text{RL}}\right)$$

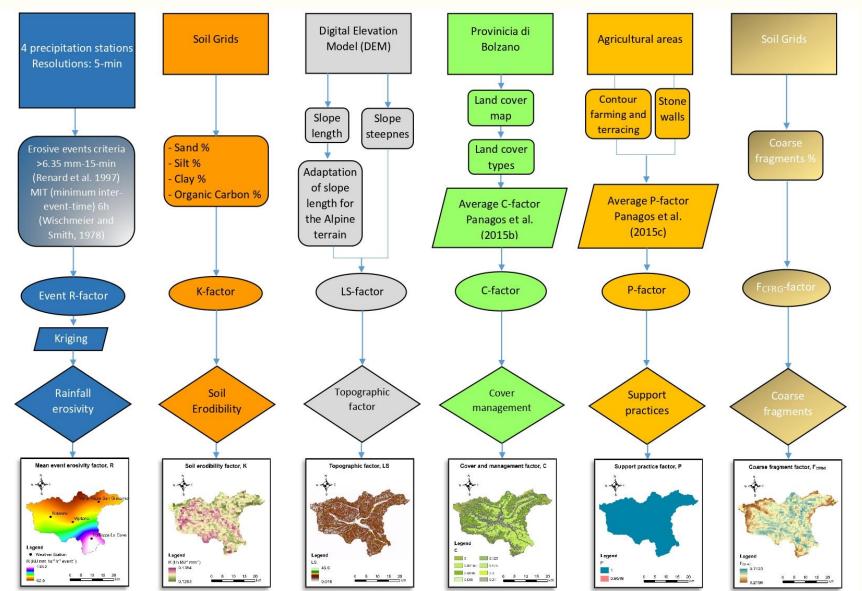
 $\log(SDR) = 1.8768 - 0.14191 \cdot \log(10 \cdot FL)$

 $SDR = 0.627 \cdot J_{s}^{0.403}$

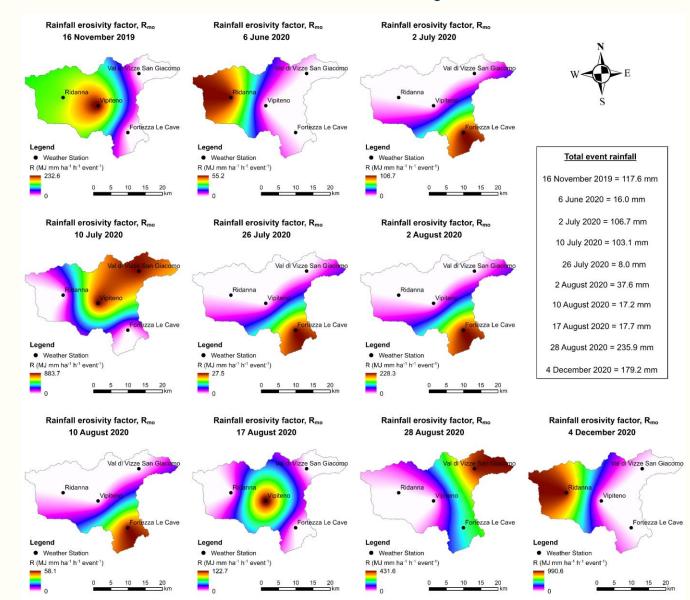
where SDR = sediment delivery ratio (%) I = length of the main stream (m) RL = alt. dif. of two ends of main stream (m) FL = basin area (km²) J_s = mean bed slope of the main stream CN = runoff Curve Number

$$SDR = 1.366 \cdot 10^{-11} \cdot FL^{-0.0998} \cdot \left(\frac{RL}{1}\right)^{0.3629} \cdot CN^{5.444}$$

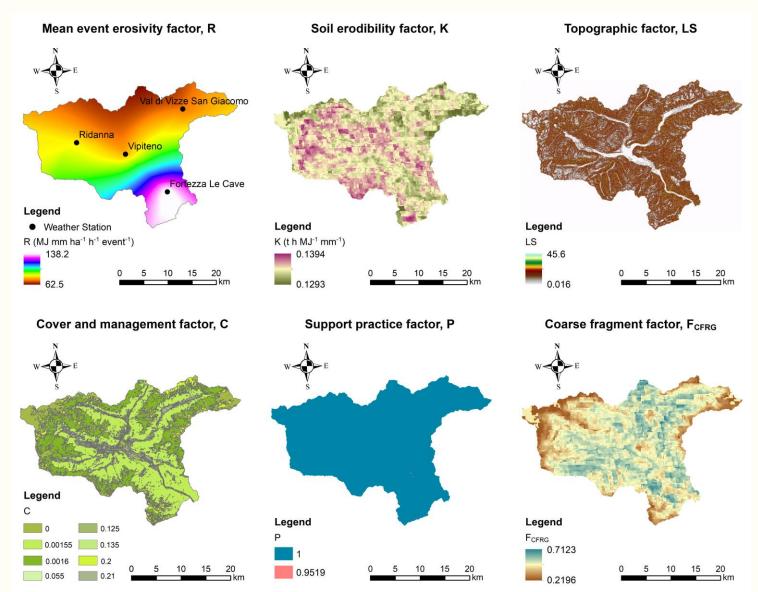
Input datasets

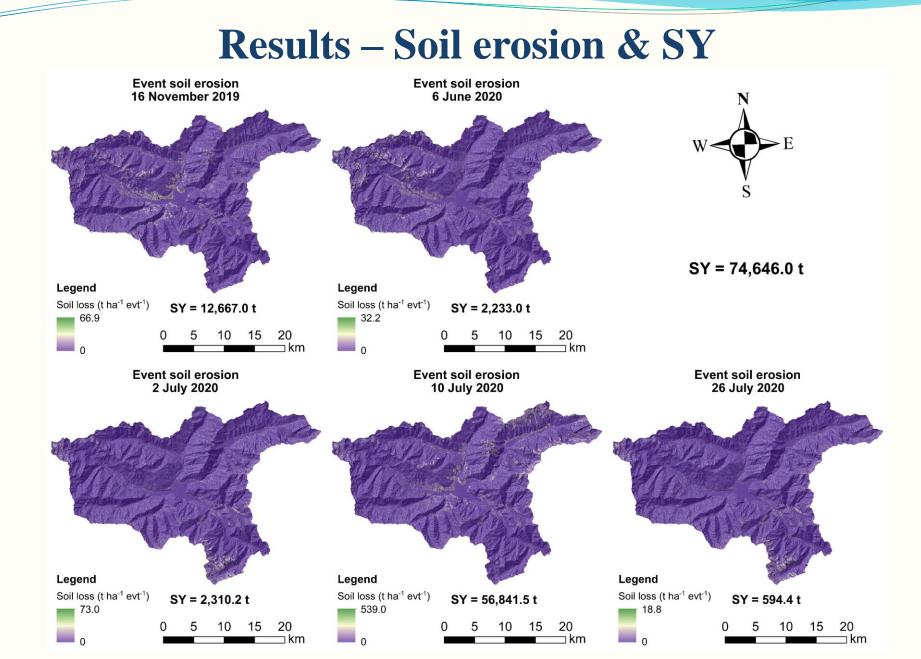


Event rainfall erosivity (R-factor)

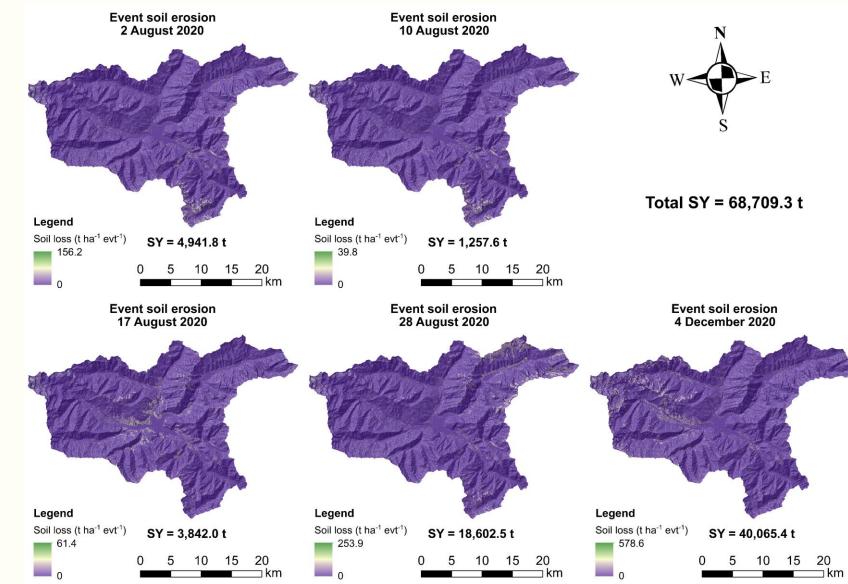


Results – USLE factors



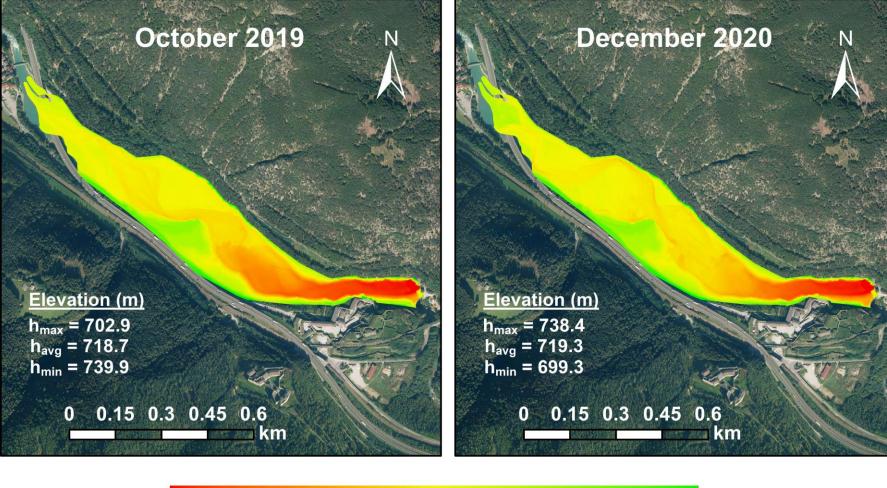


Results – Soil erosion & SY

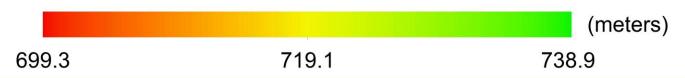


Total SY = 143,355.3 t

Results – Bathymetric maps of the Fortezza reservoir



- Spat. resolution = 0.2 m
- Time frame = 14 months



Results – Volume difference – Measured SY

Volume difference = 131,199 m³ Volume dredged = 30,000 m³ Volume accumulated = 161,199 m³

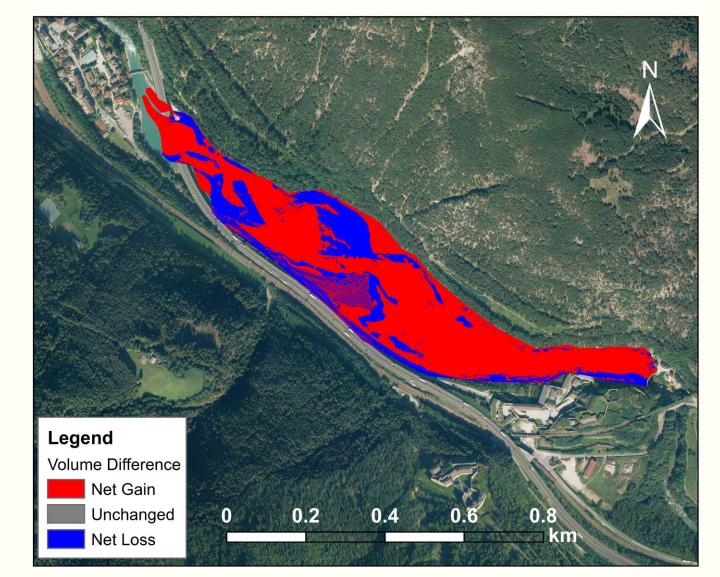
Dry bulk density = 0.702-0.747 t/m³

Sediment yield = 113,161.7-120,415.7 t Mean measured SY = **116,789 t**

Calculated SY = **143,355.3 t**

 $-26.7\% \leq \text{Deviation} \leq -19.1\%$

Deviation = **-22.7%**



THANK YOU FOR YOUR ATTENTION

